

# METAPOPULATION MODELLING : A TOOL FOR CONSERVATION BIOLOGY

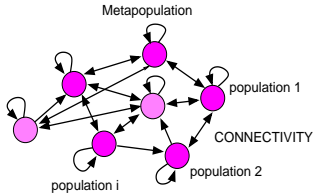
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Workshop AMP, Juin 2013, Marseille

## ► Existence of alternate dispersive/sedentary stages in species life cycle may lead to meta-population functioning



but also dispersive adults can be constrained by reproduction in specific habitat

- some insects
- amphihaline fishes
- jellyfish

Dispersive stage frequent during reproduction of sedentary adult

- terrestrial plants : pollen, seeds
- marine benthic invertebrates
- some fishes

**Does losses during dispersive phase endanger population persistence at a regional scale (the metapopulation scale)?**

## ► The early metapopulation model of Levins (1969)

### Assumptions

- infinite number of patches of the same size and quality = highly fragmented habitat
- describe  $p$  the fraction of patch occupied by one species (not abundance)
- dispersal and extinction are spatially homogeneous

$$\frac{dp}{dt} = \underbrace{mp(1-p)}_{\text{colonization}} - \underbrace{ep}_{\text{extinction}}$$

Metapopulation equilibrium  $p^*$

$$\iff \frac{dp}{dt} = 0$$

$$\Rightarrow p^* = 1 - e/m$$

$p^* > 0$  if and only if  $m > e$

## ► Hanski and Ovaskainen model (2000, 2003)

### Assumptions

- finite number of patches but still highly fragmented habitat
- describe  $p_i$  the probability of species presence in each patch  $i$  with area  $A_i$
- dispersal and extinction are spatially structured

$$\frac{dp_i}{dt} = \underbrace{C_i(t)(1 - p_i)}_{\text{colonization}} - \underbrace{\mu_i p_i}_{\text{extinction}}$$

assuming  $\mu_i = e/A_i$  and  
 $C_i(t) = c \sum_{j \neq i} \exp(-\alpha d_{ij}) p_j(t) A_j$   
 with

- $c$  colonisation parameter
- $\alpha$  average distance of migration
- $e$  extinction parameter

Metapopulation viability  
 $\Rightarrow$  leading eigenvalues of  
 $M = [\exp(-\alpha d_{ij}) A_i A_j]$  is larger than  $e/c$ .

## ► Hastings and Botsford model (2006)

### Assumptions

- finite number of patches
- describe  $N(t) = [N_i(t)]$  the abundance of species adult in each patch  $i$
- dispersal and survivorship are spatially structured

$$N(t + 1) = CN(t)$$

where  $C$  a matrix defined by:

$$C_{ij} = b_j t_{ij} a_i + s_{ij} \delta_{ij}$$

with:

- $b_j$  recruitment success in patch  $j$
- $t_{ij}$  propagule exchange rate from patch  $i$  to patch  $j$
- $a_i$  propagule production rate in patch  $i$
- $s_{ii}$  adults survivorship rate in patch  $i$

Metapopulation viability

⇒ leading eigenvalues of  $C$  is larger than 1.

## ► Age-structured metapopulation models (M2 Belharet, 2011)

### Assumptions

- finite number of patches
- describe  $N(t) = [N_i(t)]$  the abundance of a species juveniles and adults in each patch  $i$
- dispersal is spatially structured
- sexual maturation and maturation are spatially uniform

Two stages in each patch  $i$ ,

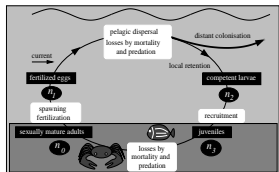
$$\frac{\partial J_i}{\partial t} = -cJ_i - m_J J_i + (\omega M [T(\tau).A].rU)\delta(t, \tau)$$

$$\frac{\partial A_i}{\partial t} = +cJ_i - m_A A_i$$

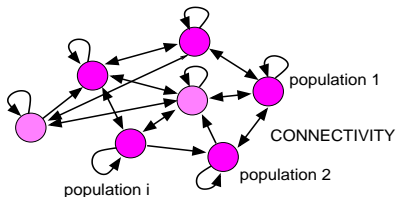
with:

- $c_J$  sexual maturation rate of juveniles
- $T_{ij}$  propagule exchange rate from patch  $i$  to patch  $j$
- $\omega$  propagule production rate
- $r$  recruitment rate
- $m_J, m_A, M$  juveniles, adults and larvae mortality rates

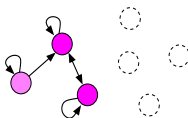
## ► Benthic species reproducing with planktonic larval dispersal: connectivity-driven resilience ?



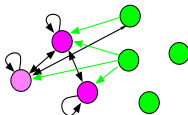
Metapopulation



- Antropogenic stresses > Habitat loss



- Climatic stresses > Recruitment failure



## ► Meta-population dynamics modelling: adapted from Hastings and Botsford (2006)

### Assumptions

- describe  $A(t) = [A_i(t)]$  the abundance of species adult in each patch  $i$
- finite number of patches
- connectivity and survivorship are spatially structured
- density dependence and stochastic connectivity

$$A(t + \Delta t) = \min(G(t)A(t), A_{max})$$

where  $G$  a matrix defined by:

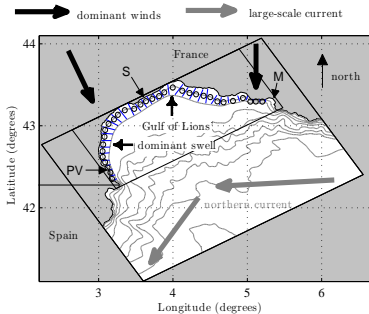
$$G_{ij} = a_i C_{ij}(t) b_j + s_{ij} \delta_{ij}$$

with:

- $a_i$  propagule production rate in patch  $i$
- $C_{ij}$  propagule exchange rate from patch  $i$  to patch  $j$
- $b_j$  recruitment success in patch  $j$
- $s_{ii}$  adults survivorship rate in patch  $i$
- $A_{max}$  carrying capacity



## ► Application to soft-bottom polychaetes in the Gulf of Lions: Connectivity matrix



### Lagrangian larval dispersal modelling

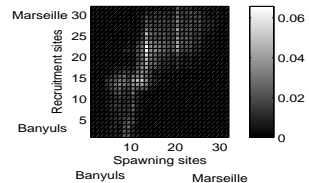
- neutrally buoyant larvae with PLD = 3-5 weeks
- 32 spawning sites along the 20 m isobath
- 20 spawning periods of 10 days: January to April (100 days) in 2004 and 2006

Weather forecast model (Météo-France

ALADIN)

> Coastal circulation model

(CNRS-INSU SYMPHONIE)

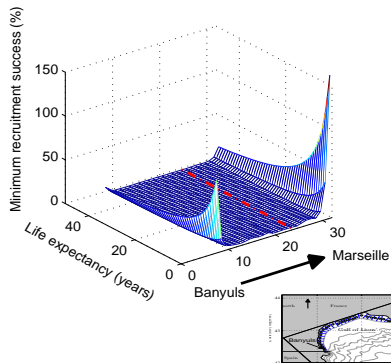


## ► Application to soft-bottom polychaetes in the Gulf of Lions: Demographic parameters

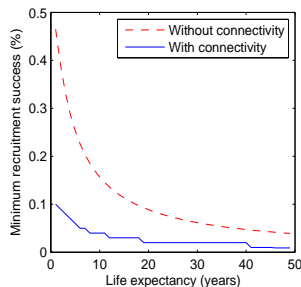
- survivorship is spatially uniform :  $s_{ij} = \ln(0.01)/L_E$  where  $L_E$  is species life expectancy
- propagule production rate is spatially uniform over the region:  
 $a_i = 3.75 \cdot 10^3$  larvae per adult
- recruitment success is spatially uniform over the region:  $b_j = R$
- site carrying capacity is based on adult size  $L$ :  $A_{max} = 10/L^2$

## ▶ Minimum recruitment success $R$ for persistence

Without connectivity:  
the closed populations hypothesis



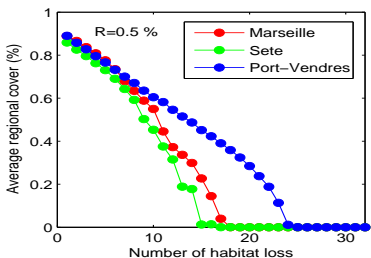
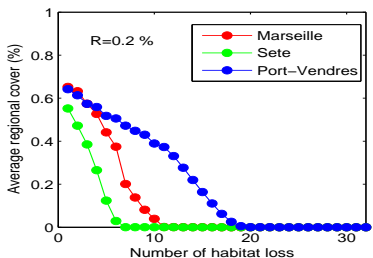
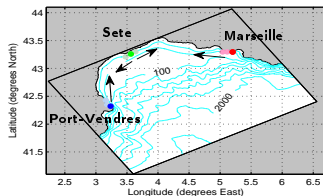
With connectivity:  
the metapopulation hypothesis



Minimum recruitment success  $R$  required for species persistence at the regional scale is reduced by a factor 5 on average by connectivity

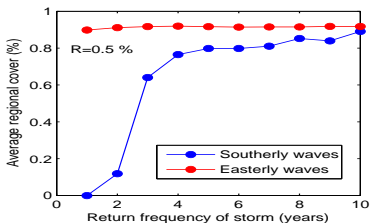
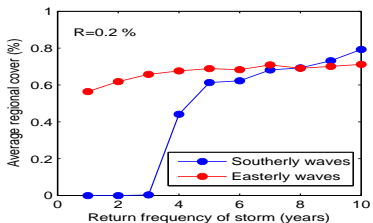
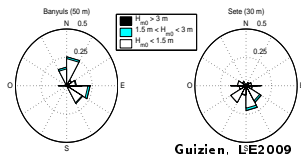
## ► Regional resilience of a short living species to anthropogenic stress

Oil spill starting in the main regional ports and destructing habitat while spreading

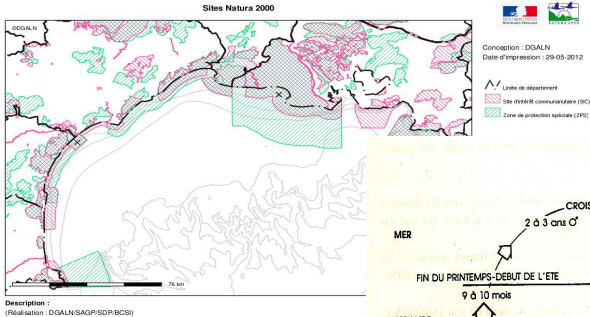


## ► Regional resilience of a short living species to climatic stress

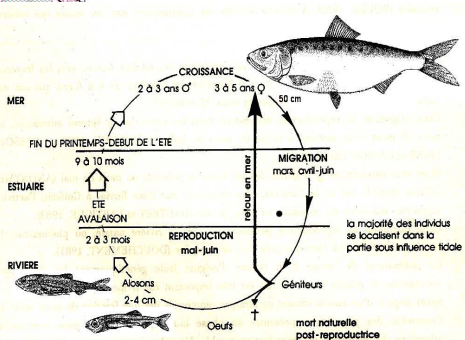
Storm swell with different origins causes recruitment failure at different frequency



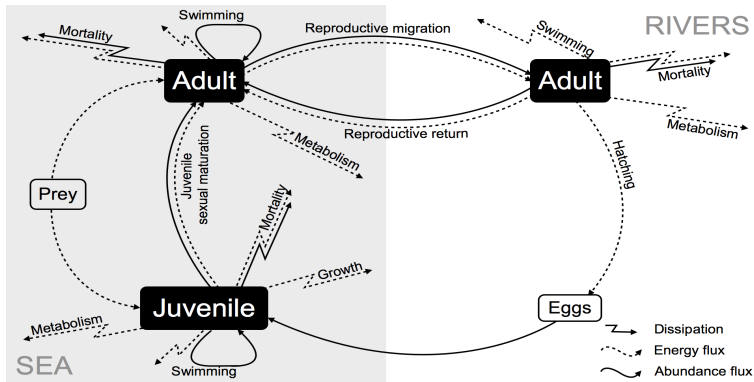
## ► Amphihaline species reproducing in rivers : is the river the essential habitat ?



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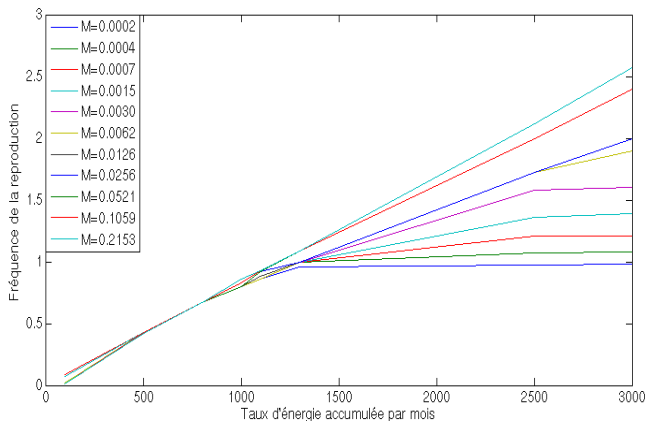


## ► Coupled meta-population / DEB model



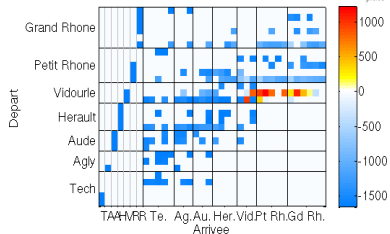
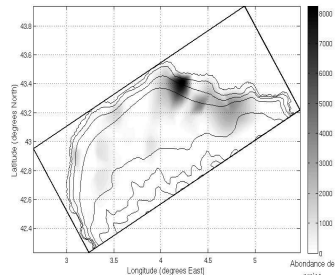
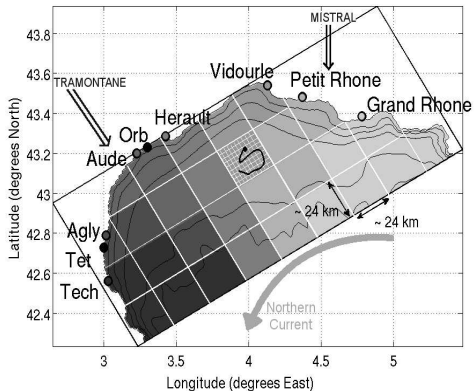
Dynamic Energy Budget model : balance between energy loss due to counter-current swim and energy gain when feeding

## ► Annual reproduction requires energy gains during dispersal whatever larval mortality



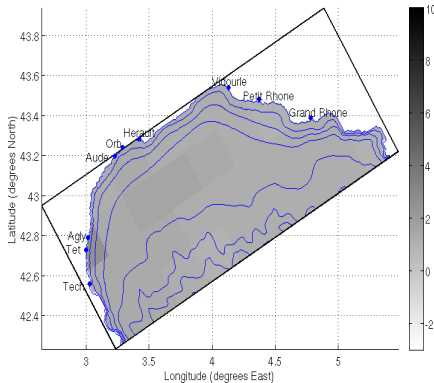


## ► Application to the Gulf of Lions: *Alosa fallax*

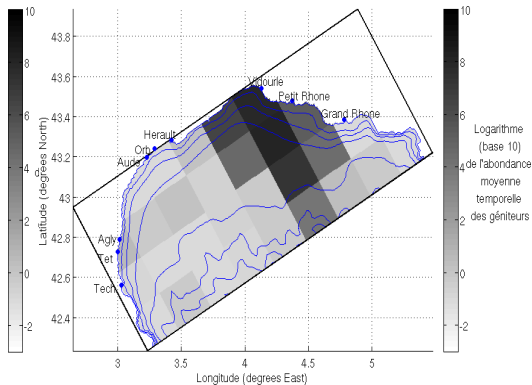


## ► Fish behaviour and essential habitats

### Passive behaviour



### Active behaviour



## ► Take home messages

- connectivity enhances resilience populations at regional scale
- connectivity can spatially structure species vulnerability to extreme stresses like habitat destruction and recruitment failure
- new essential habitats identification benefits from metapopulation point of view

**Thank for your attention**